



# **GLASSPEX 2015**

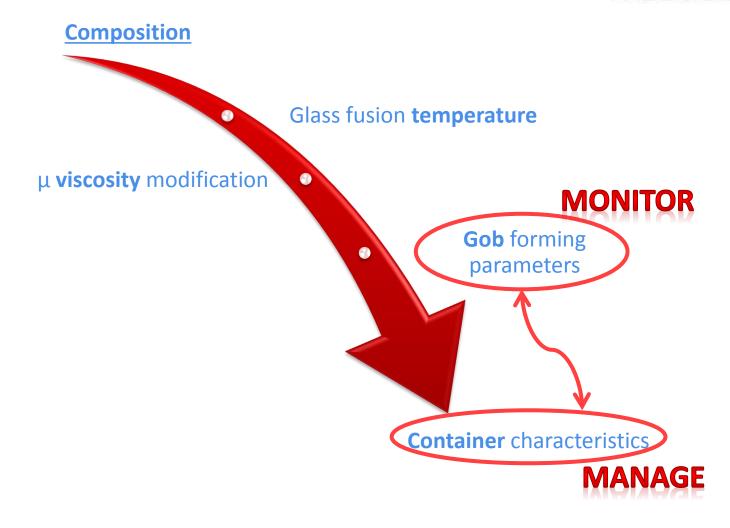
# **Hot End process control:**

# **Two bricks to characterize your production and pilot your process**











# **GLASSPEX 2015**

# Master your process with Gob Supervision. One new product : Tiama Hot End Laboratory Tool.

**Gob Supervision** 



# **1. Gob Critical Parameters**

Which parameters need to be monitored for critical gob and forming performance ?

# 2. Available Tools for Gob Monitoring

- Optical Pyrometric measurement tools
- Gob vision shape control state of the art
- Closed loop weight control objectives

# 3. Environment Benefits in Gob Control

- Energy
- Raw materials
- Safety and Health



### **Gob Critical Parameters**



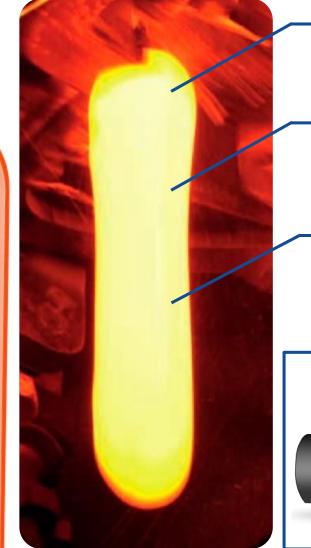
msc & secc







msc & secc



- 1- Gob weight control
- 2- Gob temperature monitoring
- 3- Gob shape monitoring and reference storage

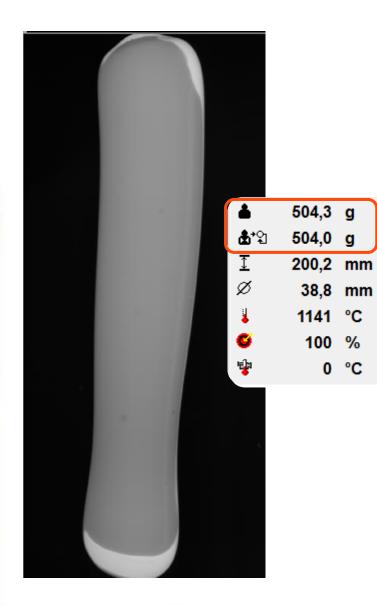


Immediate feedback to improve gob properties and prevent production loss



# Feature 1 - Gob Weight Control (1/2)





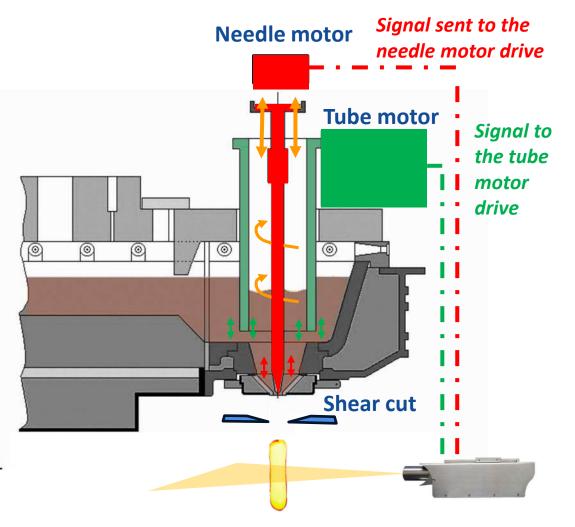
# Your benefits :

- $\checkmark$  Reduction of container weight
- ✓ Reduction of job change time,
- More stable conditions in the forehearth

# Feature 1 - Gob Weight Control (2/2)



### "CLOSED LOOP"



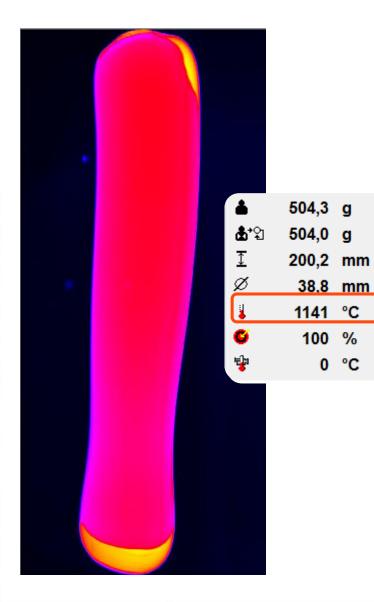
### **CLOSED LOOP**

- **AUTOMATIC** gob weight control by adjusting the tube height or the needle position
- Keeps the gob weight stable within ±0,25%



# Feature 2 - Gob temperature (1/1)





- Temperature measurement along the gob,
- Accuracy : ±3°C
  - Multi zone and average temperature display,

# Your benefits :

- Temperature reading
- Temperature mapping of the gob surface



### Feature 3 - Gob shape monitoring (1/2)

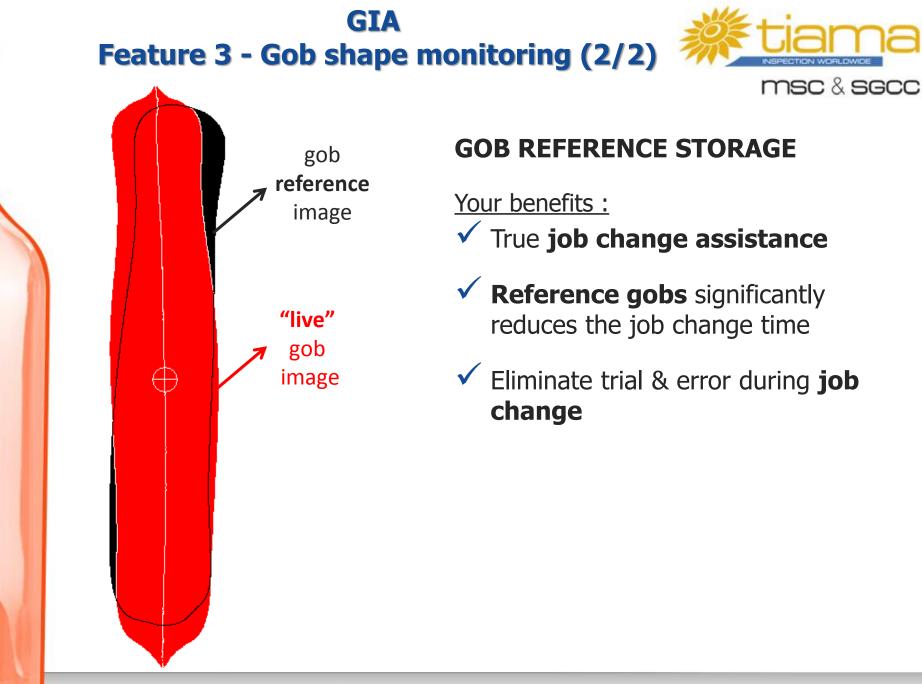


### **GOB SHAPE MONITORING**

Your benefits :

✓ Gob tilt and length **alerts**.

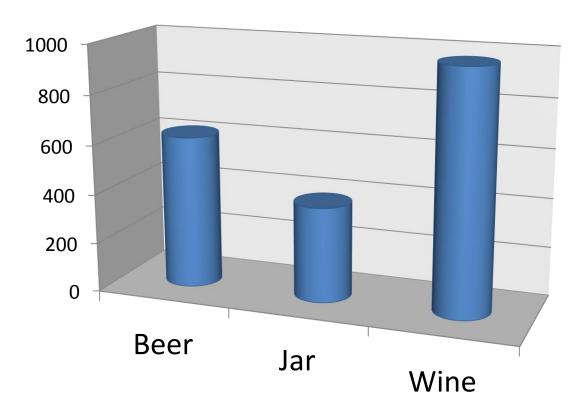
 Immediately identify bad shear cuts







# Raw Material



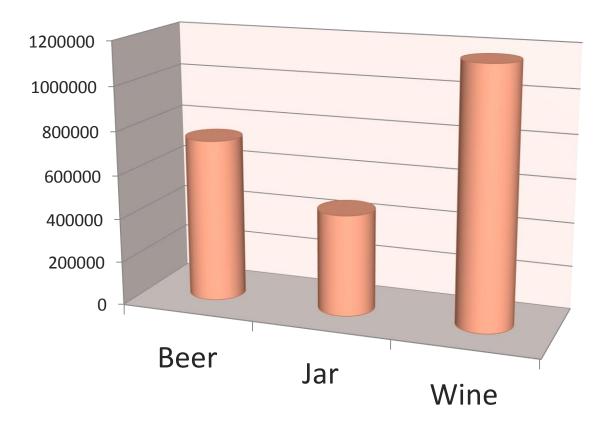
Weight: Tons per year







**Energy: kWh per year** 



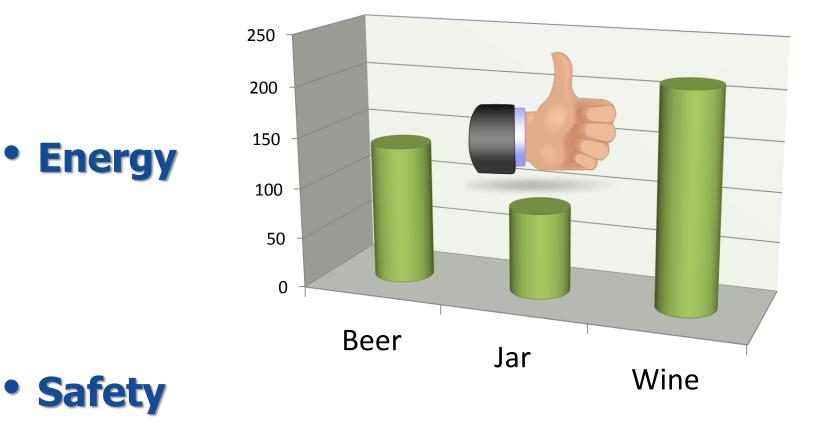
Energy





# Raw Material

### CO2 saved: Tons per year

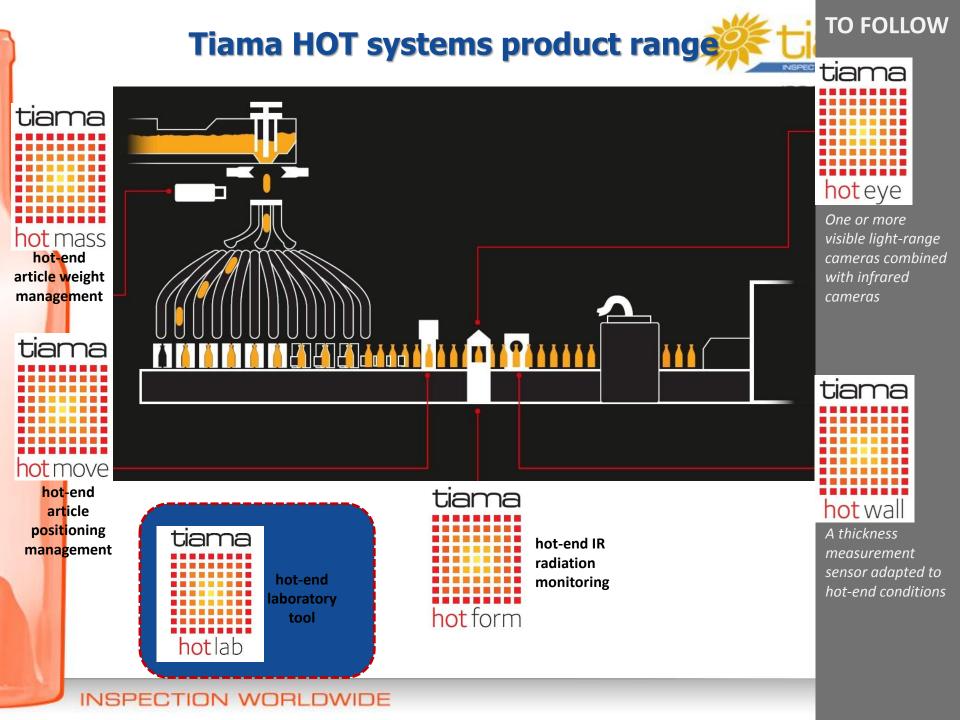






# **GLASSPEX 2015**

# One new product : Tiama Hot End Laboratory Tool.





# **Tiama HOT lab** Hot-end laboratory tool







# **Current hot-end gauging**



With the exception of weight, bottles at the HE are currently measured with go /no-go gauges.

Characteristics such as :

\_lean,

\_ovality

\_and glass wall-thickness

are currently measured at the CE and only then is the information transferred back to the HE.

This equates to a time duration of >1 lehrlength.











Tiama HOT lab – Precise statistical dimensional measurement of hot bottles including glass thickness



### Construction



#### Machine Electronics Cabinet

Measuring Chamber



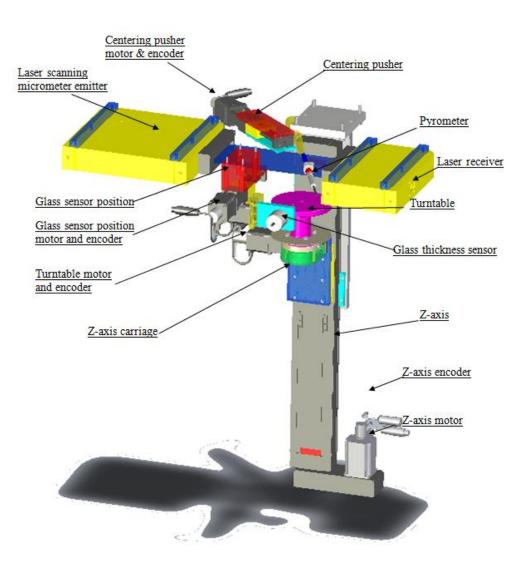


# **Measurement technology**



#### Measurement Technology

- Up-to-date Micrometer Laser
- CHRocodile Glass Thickness
  Control
- Measurement Time < 2 mins.
- Container Temperature up to 300° Celsius.

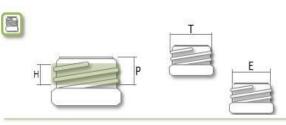




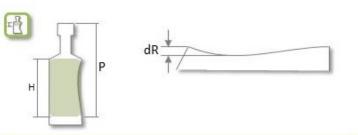
# **Available measurements**







Name	
Aktiv	True
Position (P) [mm]	0,00
Höhe (H) [mm]	0,00
Winkeländerung [°]	30



Name	
Aktiv	True
Position (P) [mm]	0,00
Höhe (H) [mm]	0,00
Winkeländerung [°]	30

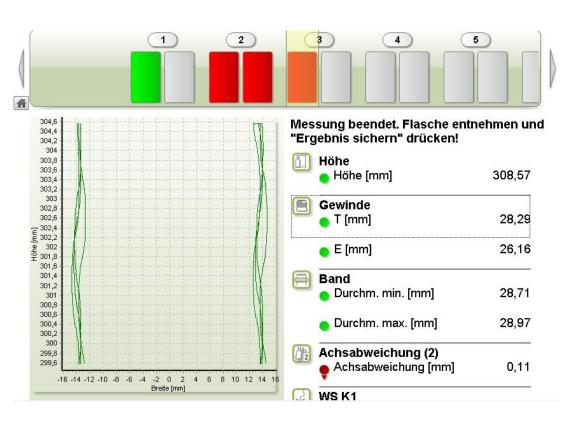
# **Finish measurement**



### msc & secc

Graphical display of thread measurement (T & E )

The right side of the screen displays the numerical results.



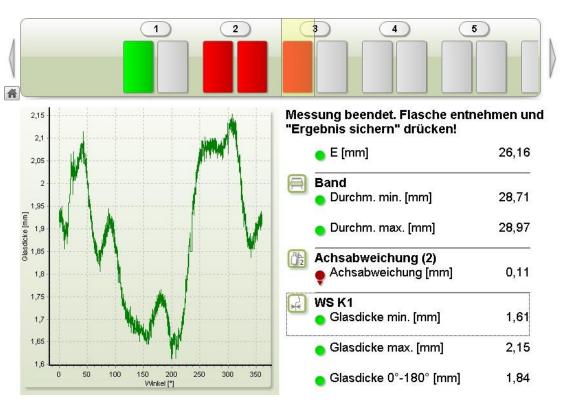


### **Glass thickness 360°**



Graphical display of glass thickness (360 degrees)

The "x" axis in the graph corresponds to the table/ bottle position. Thus the thin glass areas can be easily identified on the bottle.

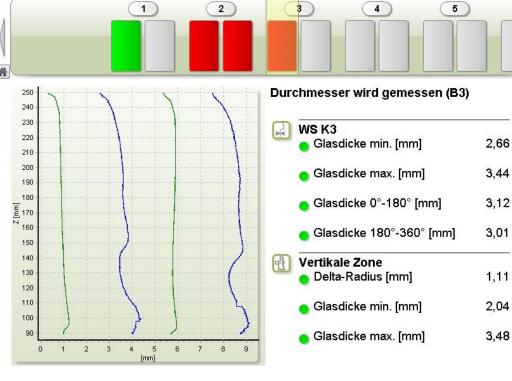


# Sunk/Bulge & Vertical Glass Thickness



Graphical display of vertical outer surface (green line) and inner surface (blue)

The flatness (sunk/bulge) together with the glass thickness is calculated over the defined area.





# Statistics (1/2)

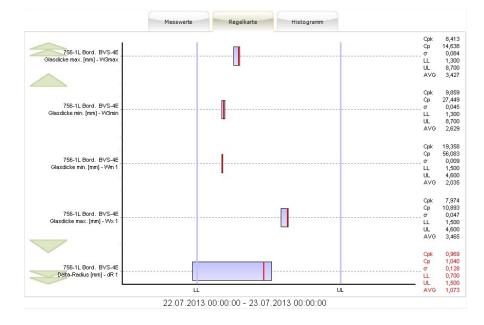


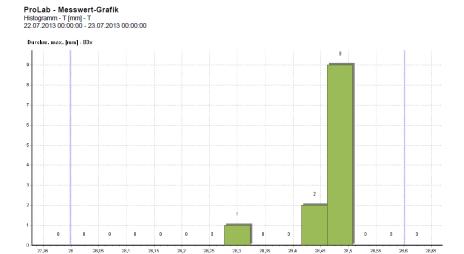
msc & secc

Capability of the Process Overtime (CPK)

The Numerical and graphical analysis of an individual measurement location or a particular cavity can be analysed.

Distribution charts clearly shows where the process is within the set tolerances







# Statistics (2/2)



The "History" is a graphical display of the collected data over time

Possible to display and compare against other moulds or simply view trend over time.

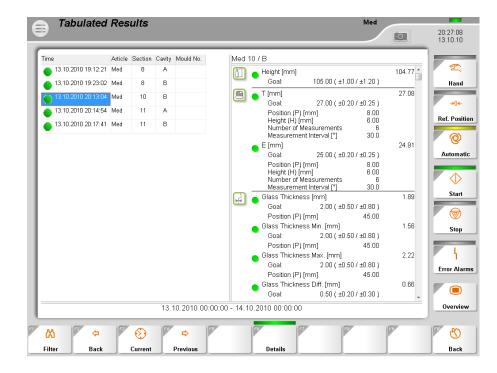


# **Tabulated results**



The "Tabulated" results allows the user to see all numerical value measurements in a table format

*Possible to display results based on a filtered criterion* 



# If you need to simplify your life

< 9-12/9:7= In Span  $\frac{dv}{dr} = \frac{dv}{d\varphi} = \frac{dv$ OLELA < 12 101 19. > - VINIS E=== HgLO, O. = LE < 4, 1×14. ) + (++ [m. S. ... + In Se. ...]  $\frac{\partial \partial^{2}}{\partial F} \left( \frac{1}{L} \right)^{th} \left( \partial_{\theta}^{1} - \theta^{2} \right)^{th}$ < 12.1 P1 12 >= 15 + [Variation - 1 = 8.  $w^* x^* \left[ \varphi(*) = E \left[ \varphi(*) \right] \right]$  $\left[\frac{d\sigma}{(\sigma;-\sigma')^{1/2}}-\left(\frac{3}{c}\right)^{1/2}dt\right]$  $\int_{\partial_{1}}^{\partial} \frac{d\Theta}{(\Theta_{1}^{2}-\Theta_{2}^{2})^{2}} = \left(\frac{3}{2}\right)^{2} \left[\frac{d\Theta}{\partial_{1}}\right]^{2}$ (1)= (a)=  $\begin{bmatrix} \frac{d\theta}{\theta_{i}^{2} - \theta^{2}} \end{bmatrix}_{i}^{2} \begin{bmatrix} P_{ueSh} \begin{bmatrix} 0 \\ \theta_{i} \end{bmatrix} \end{bmatrix}$  $\langle \xi_{0}(\mathbf{x}) = \langle \mathbf{x} | \langle \xi_{0} \rangle = \left( \frac{\pi i w}{\pi h} \right)^{H_{0}} \mathbf{c}$ [0,a]===[X++F, X++F] (1) [二(二)]\*(二)\*(二)  $\stackrel{\sim}{\to} [\hat{x}, \hat{v}) \stackrel{\sim}{\to} [\hat{v}, \hat{x}]$ Mo =- Litys . O Enail-A  $\frac{1}{2}(\hat{\mathbf{x}}_{-i}\hat{\mathbf{p}})(\hat{\mathbf{x}}_{+i}\hat{\mathbf{p}})\cdot\frac{1}{2}$ 7=-W.Asm (m1+9) E= mc  $\frac{1}{2n}\left\langle P^{2}\right\rangle =-\frac{\hbar^{2}}{2m}\left( f_{n}^{*}(x)\frac{d^{2}}{dx}f_{n}(x)dx\right)$ W. Keos 4 E=pici+Micz x= Acia (wel 1 = Aros(w.1)  $= \mathsf{M} c^2 \left[ \mathbf{1} + \left( \frac{p_1}{n^2 c^2} \right) \right]^2 \qquad \sum_{i=1}^{n} \mathsf{E}_i = c^{4_i}$  $K = \frac{1}{2} M \star - \frac{1}{2} H_{W} [loss(unl + \mu)]$ 4= 062- 02/245 + 0/2 (14/7.1) 22=  $\Delta t' = \Delta \gamma = \left( \beta - \frac{vt}{c^{c}} \right)^{t} \Delta t \quad \vec{t} \in \left( \frac{\Lambda - p}{1 - p} \right)^{t}$ <k)= Skalt + 1 Para >= 1 (0= (a+ 1) 1 Para > -ama BM  $\lambda_1 | \theta_i > + \lambda_2 | \theta_2 > \Rightarrow \lambda_2$ 1: <8 E. E+ 31 + 31. 19m-1> =<1)=<1 dre dre AM= to  $\mathbf{r}_{\mathbf{u}} = \left(\lambda_{c^{+}}^{\mathbf{v}_{1}}\right)^{\frac{1}{2}} \frac{\Delta \rho_{\mathbf{v}}}{\Delta t} = \left(\lambda - \frac{\mathbf{v}^{+}}{c^{+}}\right)^{\frac{1}{2}} \frac{\Delta \rho_{\mathbf{v}}}{\Delta t^{\frac{1}{2}}}$ [1n+1 [P....)+ [v] & +0 > [ ["> > E &  $\frac{dv}{dl} = \left(\lambda - \frac{ve^{it}}{c^2} \frac{dp^i}{dr}, \frac{dp_*}{dv} = \left(\lambda - \frac{ve^{it}}{e^{it}}\right)^t \frac{dp_*}{dr}, \frac{V}{c} = \frac{E_T}{E_T + H_pee}$  $\langle \xi_{x_{n}}^{(\ell)} | \psi \rangle = \left( \xi_{x_{n}}^{(0)} \psi \right) = \int d\mathbf{x} \, d\mathbf{x}$ · (1-0) (9-> Lim ["(1)= {,(1) \$ 5.  $P_{r} = \frac{2}{1+v^{2}(r)} \frac{1}{r^{2}} \qquad \Delta p_{r} = \frac{\Delta p_{r} + v\Delta E/c^{2}}{(a-v^{2}c^{2})^{\frac{1}{2}}}$ nev[1m1 14m1>- 1/2.)

# ...it's time for

